

EABCN TRAINING SCHOOL:
MONETARY-FISCAL POLICY
INTERACTIONS

LECTURE 9. SOVEREIGN DEFAULT RISK PREMIA & FISCAL
POLICY

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THE QUESTIONS

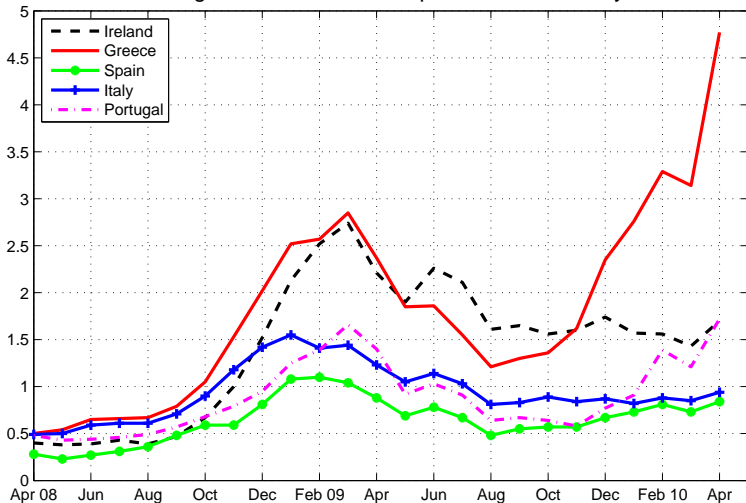
- Draws on Bi (2009), “Sovereign Default Risk Premia, Fiscal Limits and Fiscal Policy,” and Bi & Leeper (2010), “Sovereign Debt Risk Premia and Fiscal Policy in Sweden”
- How do sovereign default risk premia interact with fiscal policy?
- How do institutional changes to fiscal behavior affect sovereign debt risk premia?

THE FINDINGS

- Fiscal limits are country specific:
 - depend on government size, degree of countercyclical fiscal policy, political risk, and shock processes
- Risk premia are nonlinear in level of government debt
- Long-term bonds can provide early warning
- Fiscal reforms can significantly shift distribution of fiscal limits

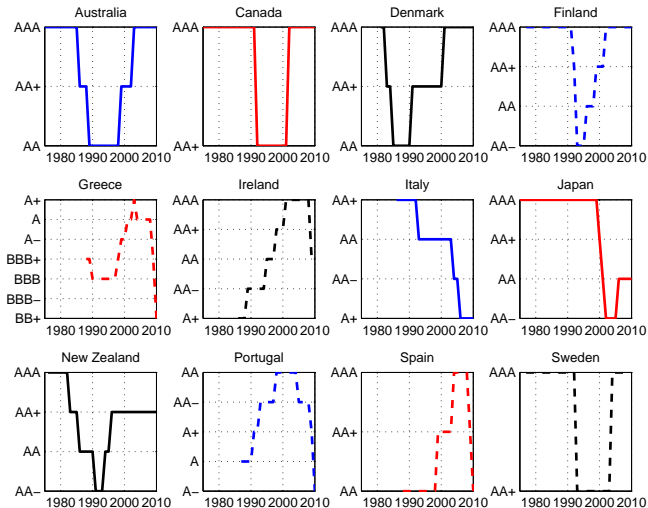
RECENT SOVEREIGN RISK PREMIA

Long-term Interest Rate Spread over Germany

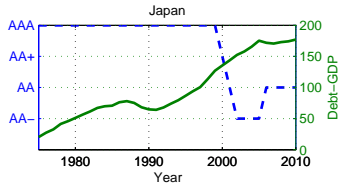
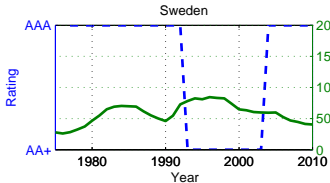
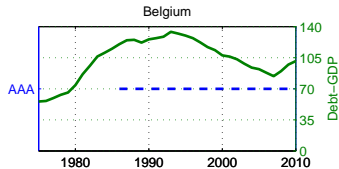
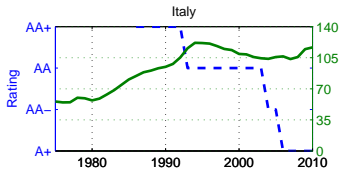
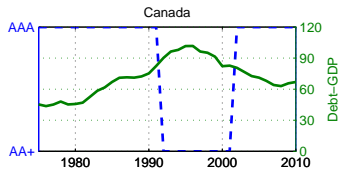
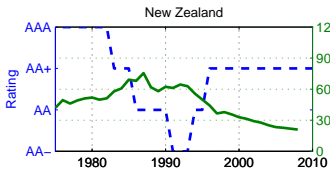


HISTORICAL SOVEREIGN RATINGS

- OECD sovereign bonds are not always risk-free



EVIDENCE 1: SOVEREIGN DOWNGRADES



EVIDENCE 2: EMPIRICAL RELATIONS

Risk premium responds to government indebtedness nonlinearly:

- Bayoumi, Goldstein and Woglom (1995): U.S. municipal bond;
- Alesina, De Broeck, Prati and Tabellini (1992); Ardagna, Caselli and Lane (2007): OECD data
- Bernoth, von Hagen and Schuknecht (2006), Haugh, Ollivaud and Turner (2009): Euro data

A MODEL

Exogenous technology and government spending:

$$\ln \frac{A_t}{A} = \rho^u \ln \frac{A_{t-1}}{A} + \varepsilon_t^A \quad \varepsilon_t^A \sim \mathcal{N}(0, \sigma_A^2)$$

$$\ln \frac{g_t}{g} = \rho^e \ln \frac{g_{t-1}}{g} + \varepsilon_t^g \quad \varepsilon_t^g \sim \mathcal{N}(0, \sigma_g^2)$$

Household problem:

$$\max \quad E_0 \sum_{t=0}^{\infty} \beta^t u(c_t, L_t)$$

$$s.t. \quad A_t(1 - \tau_t)(1 - L_t) + z_t - c_t = b_t q_t - \underbrace{(1 - \Delta_t)b_{t-1}}_{b_t^d}$$

FOC:

$$\frac{u_L(t)}{u_c(t)} = A_t(1 - \tau_t)$$

$$q_t = \beta E_t \left[(1 - \Delta_{t+1}) \frac{u_c(t+1)}{u_c(t)} \right]$$

A MODEL

Government budget:

$$\tau_t A_t (1 - L_t) + b_t q_t = g_t + z_t + \underbrace{(1 - \Delta_t) b_{t-1}}_{b_t^d}$$

- Unenforceable bond contract:

$$\Delta_t = \begin{cases} 0 & \text{if } b_{t-1} < b_t^* \text{ with } b_t^* \sim \mathcal{N}(b^*, \sigma_b^2) \\ \delta & \text{if } b_{t-1} \geq b_t^* \end{cases}$$

- Debt-stabilizing tax rule:

$$\tau_t - \tau = \gamma (b_t^d - b)$$

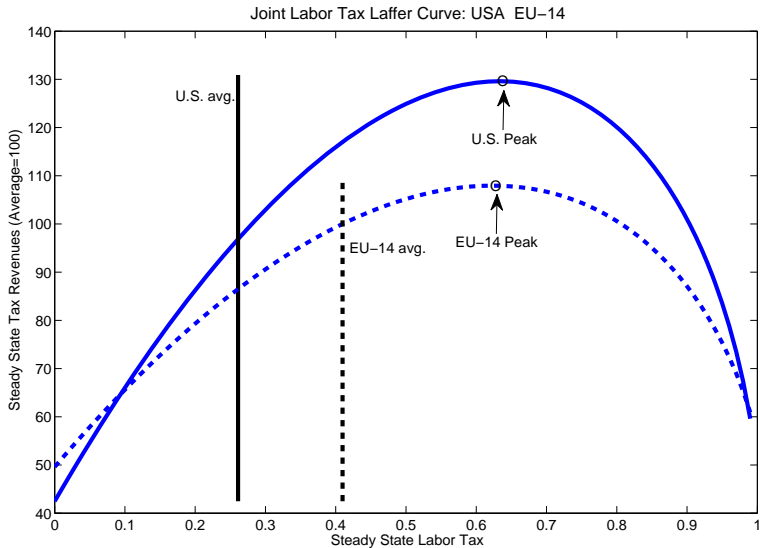
- Countercyclical lump-sum transfers:

$$\ln \frac{z_t}{z} = -\zeta^z \ln \frac{A_t}{A}$$

TWO KEY ELEMENTS IN THE ANALYSIS

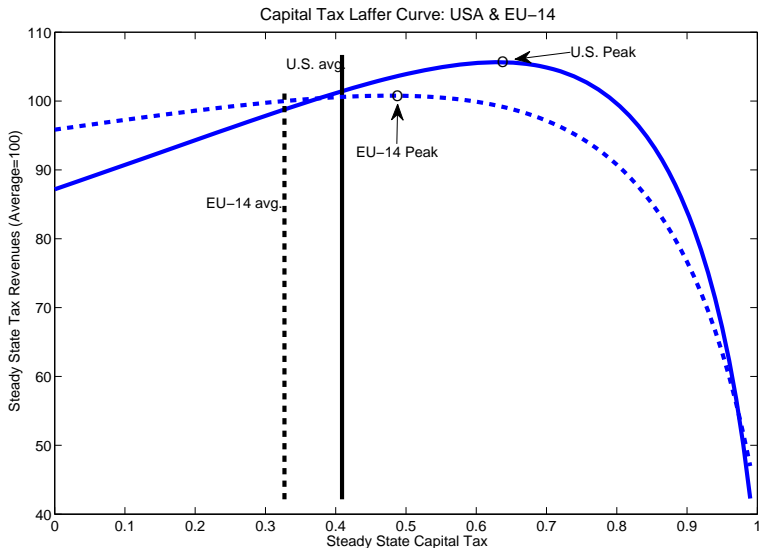
- Distribution of fiscal limits
- Nonlinear simulation under sequences of bad shocks

STEADY STATE LABOR LAFFER CURVES



Source: Trabandt & Uhlig

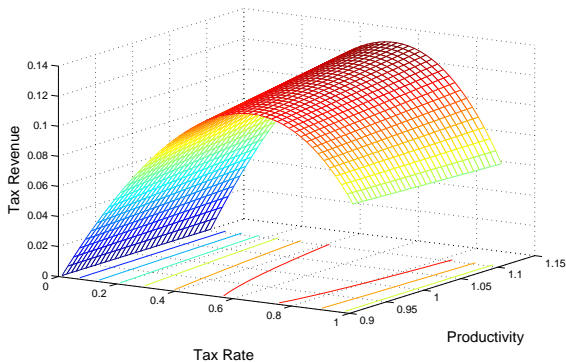
STEADY STATE CAPITAL LAFFER CURVES



Source: Trabandt & Uhlig

DYNAMIC LAFFER CURVE

$$T_t = \tau_t A_t (1 - L_t)$$
$$\Rightarrow T^{max}(A, g) = \mathcal{T}(\tau^{max}(A, g); A, g)$$



FISCAL LIMIT

Fiscal limit: maximum sustainable level of government debt

$$B^* = E_0 \sum_{t=0}^{\infty} \underbrace{\frac{u_c^{max}(t)}{u_c^{max}(0)}}_{\text{discount rate}} \underbrace{\theta_t}_{\text{political risk}} \underbrace{(T_t^{max} - g_t - z_t)}_{\text{future max fiscal surplus}}$$

The distribution depends on:

- Government size: g/y and z/y
- Countercyclical lump-sum transfers: ζ^z
- Political risk: $0 < \theta_t \leq 1$ (ICRG index)
Standard & Poor's (2008): “*stability, predictability, and transparency* of a country's political institutions are important considerations. . .”
- Shock processes

MCMC simulation:

- Simulate N paths to approximate $\mathcal{N}(b^*, \sigma_b^2)$.

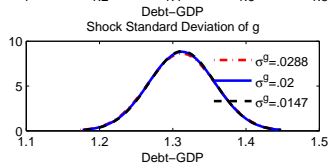
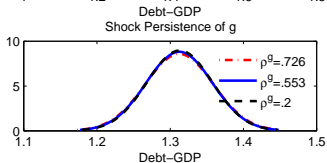
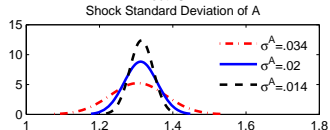
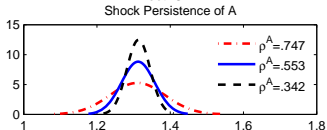
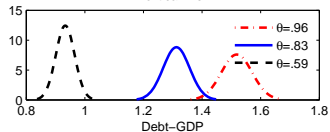
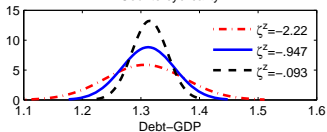
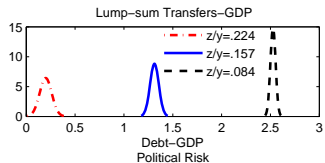
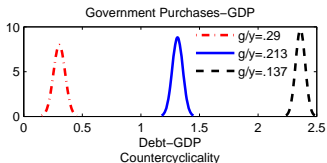
FISCAL LIMIT: GENERAL COMPARISON

- Benchmark case: average across developed countries (1971-2007)

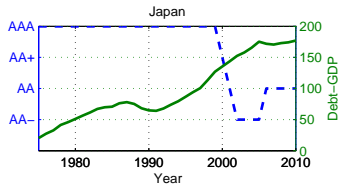
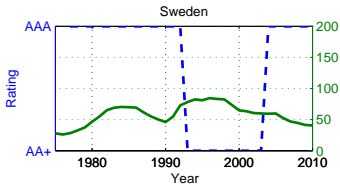
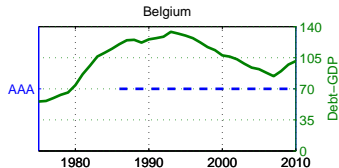
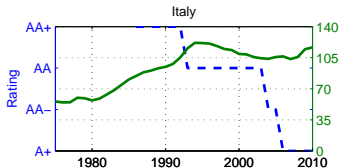
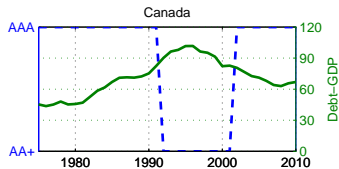
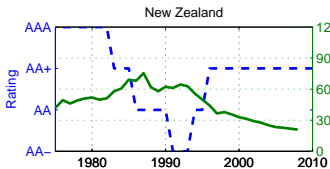
τ^L	g/y	z/y	ζ^z	θ	ρ^A	σ^A	ρ^g	σ^g
0.362	0.213	0.157	-0.947	0.83	0.553	0.02	0.553	0.02

- Comparison: change one parameter each time
 - In the following figure:
 - red is Sweden ($g/y = .29$, etc)
 - black is Switzerland ($g/y = .137$, etc)
 - blue is averaged across developed countries ($g/y = .213$, etc)

FISCAL LIMIT: SIMULATION



FISCAL LIMIT: DATA



FISCAL LIMIT: COUNTRY COMPARISON

Canada vs. New Zealand: shock process

τ^L	g/y	z/y	ζ^z	θ	ρ^A	σ^A
0.32	0.21	0.13	-1.25	0.85	0.6	0.02/0.04

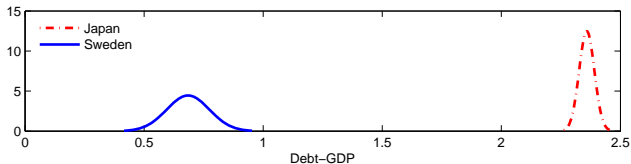
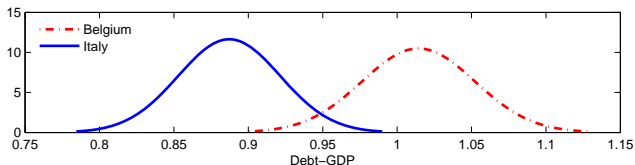
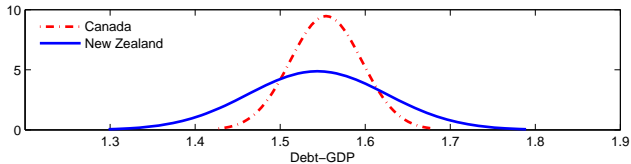
Belgium vs. Italy: political risk

τ^L	g/y	z/y	ζ^z	θ	ρ^A	σ^A
0.4	0.225	0.18	-0.63	0.8/0.7	0.68	0.025

Japan vs. Sweden: government size and countercyclical transfers

τ^L	g/y	z/y	ζ^z	θ	ρ^A	σ^A
0.32	0.162/0.29	0.1/0.195	-1.15/-2.22	0.86	0.6	0.018

FISCAL LIMIT: COUNTRY COMPARISON (SIMULATION)



NONLINEAR SOLUTION

Monotone mapping method (Coleman (1991), Davig (2004)):

$$q_t = \beta E_t \left((1 - \Delta_{t+1}) \frac{u_c(t+1)}{u_c(t)} \right) \quad (1)$$

$$\begin{aligned} & \frac{b_t^d + g_t + z(\psi_t) - \tau(\psi_t)A_t(1 - L(\psi_t))}{f^b(\psi_t)} \\ & = \beta E_t \left\{ \left(1 - \Delta(f^b(\psi_t), b_{t+1}^*) \right) \frac{u_c(f^b(\psi_t), A_{t+1}, g_{t+1}, b_{t+1}^*)}{u_c(\psi_t)} \right\} \end{aligned} \quad (2)$$

- Grid points of 3-dimension state space, $\psi_t = (b_t^d, g_t, A_t)$, using Tauchen (1991)
- Initial guess of the decision rule $f_0^b(\cdot)$ ($b_t = f_0^b(\psi_t)$)
- Update the decision rule $f_i^b(\cdot)$ by iterating over equation (2) until it converges ($\epsilon = 1e - 8$)

Numerical integration: Newton-Cotes formulas.

CALIBRATION

- Default scheme: A higher uncertainty of fiscal limits implies higher δ

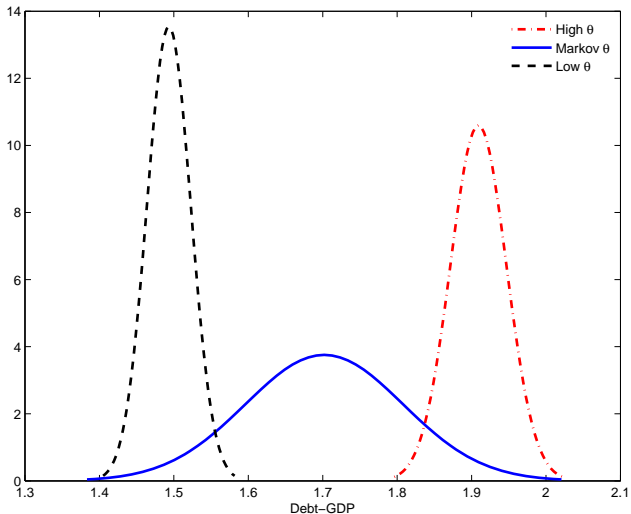
$$\Delta_t = \begin{cases} 0 & \text{if } b_{t-1} < b_t^* \\ \delta \equiv \frac{2\sigma_b}{b^*} & \text{if } b_{t-1} \geq b_t^* \end{cases} \quad (b_t^* \sim \mathcal{N}(b^*, \sigma_b^2))$$

- Calibrate to Greece (1971 - 2007):

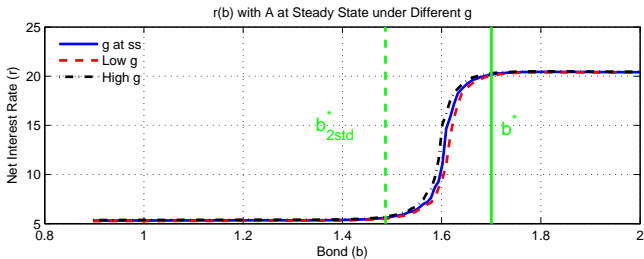
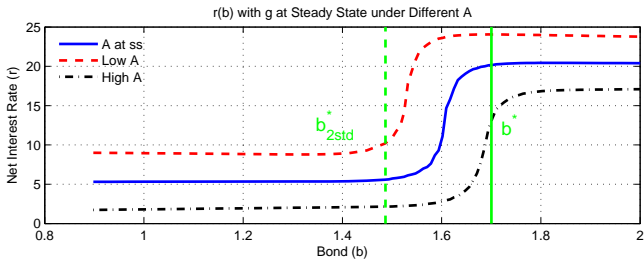
τ^L	γ	z/y	ζ^z	g/y	ρ^g	σ^g
0.32	0.42	0.134	-0.45	0.167	0.426	0.0294
θ_H	θ_L	p	β	L	ρ^A	σ^A
0.78	0.61	1/13	0.95	0.75	0.45	0.0328

- Markov switching θ_t : $\theta_t \in \{\theta_H, \theta_L\}$ with $p_{LL} = p_{HH} = p$

FISCAL LIMIT: GREECE



DECISION RULE: $R(b^d, A, g)$

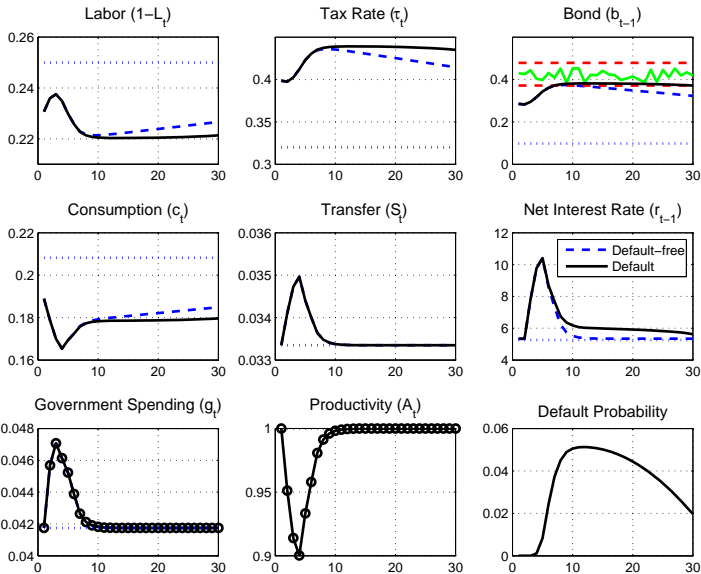


SIMULATION: A SEVERE RECESSION

- Given the paths of A_t and g_t .
- At each period, the effective fiscal limit (b_t^* , green line) is drawn from the approximated distribution.
- The paths of $c_t, L_t, \tau_t, b_t, r_t$ are determined by equilibrium conditions.

	t=1	t=2	t=3	t=4	t=5	t= 6
A_t	-4.88%	-8.61%	-9.97%	-6.67%	-4.21%	-1.92%
g_t/y_t	20.35%	21.68%	21.81%	21.08%	20.29%	19.52%

NONLINEAR SIMULATION



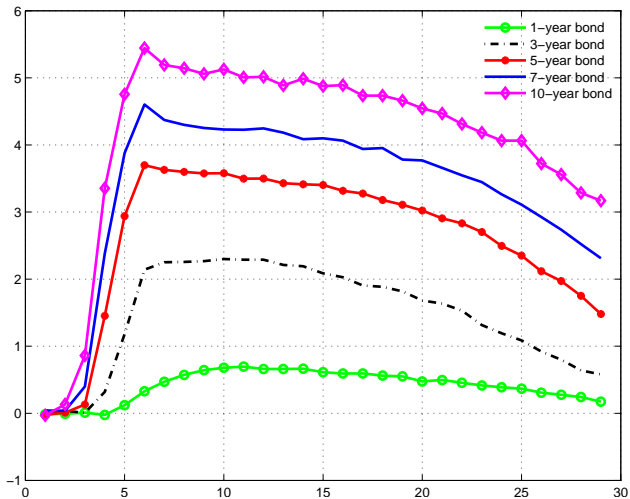
LONG-TERM BONDS

- Price of long-term bond with maturity n :

$$Q_t^n = \beta^n E_t \left((1 - \Delta_{t+n}) \frac{u_c(t+n)}{u_c(t)} \right)$$
$$r_t^{n\Delta} = \frac{1}{Q_t^n} - \frac{1}{Q_t^{nf}}$$

- Solution: finite-element method

SIMULATION: LONG-TERM BONDS

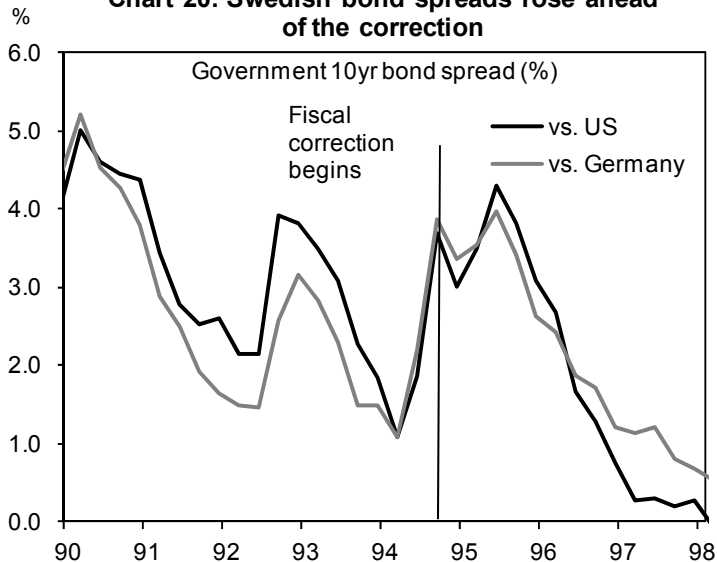


A LITTLE SWEDISH HISTORY

- In 1990s, had a banking & a fiscal crisis
- In fits and starts, fiscal reforms were implemented
- Today Standard & Poor's comments:
 - "The established fiscal rules have served Sweden well. . ."
 - "... the Kingdom [has] substantial fiscal buffers to support its creditworthiness in the current adverse economic environment."

SWEDISH INTEREST RATE PREMIA

Chart 20: Swedish bond spreads rose ahead of the correction

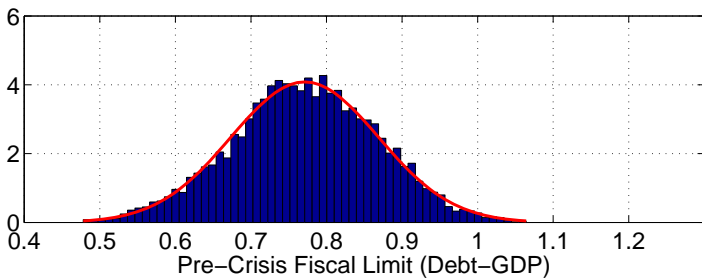


Source: OECD, GS Global ECS Research

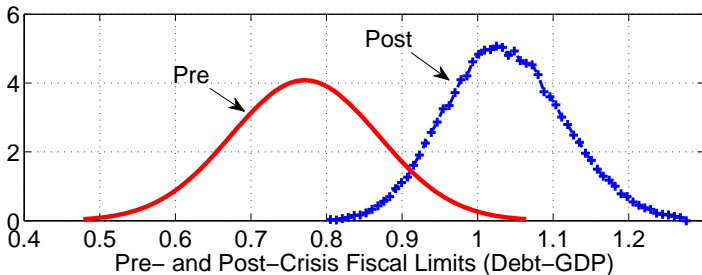
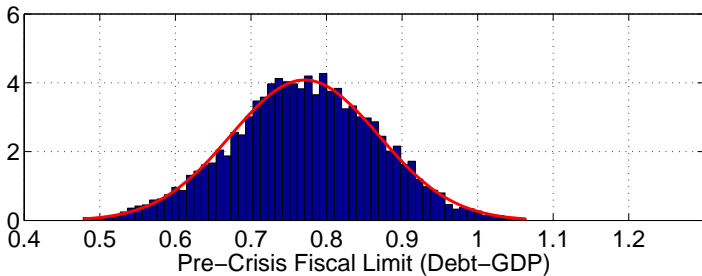
SWEDISH FISCAL REFORMS

- “Consolidation Programme” of 1994
- Sought to stabilize debt
- Resulted in
 - reducing transfers and revenues as share of GDP
 - shifted government spending from counter- to pro-cyclical
 - reduced the counter-cyclicality of transfers
 - adopted an operational expenditure ceiling
 - aim to hit a medium-term surplus target
- Designed to achieve two goals:
 1. make the **Fiscal Limit** occur at higher levels of debt
 2. reduce current debt: move it farther from the **Fiscal Limit**

SWEDISH FISCAL LIMIT PRE-CRISIS



SWEDISH FISCAL LIMIT POST-CRISIS



FISCAL LIMITS AND FISCAL STIMULUS

- Wide range of fiscal responses to current recession
 1. Massive stimulus: China, United States
 2. Moderate additional stimulus: France, Sweden
 3. Contraction/consolidation: Iceland, Ireland
 4. Planned contraction: Greece, Portugal, Spain
- Differences explained by tension between stimulus and solvency
- Fear of the **Fiscal Limit**: now many countries planning substantial consolidation *despite the weak recovery*

WRAP-UP

Dynamic Laffer Curve (macroeconomic fundamentals):

- Fiscal limits are country specific
 - Depend on the government size, degree of countercyclical fiscal policy, political uncertainty and shock processes
- Sovereign risk premia arise nonlinearly with respect to the level of government debt
- Long-term bonds provide early warnings